

Sec. 11.1 and 11.2 - Counting with lists, tables, trees, and the FCP.

HW 11.1 #1-6, 9-25 odd, 34, 35
11.2 #1, 31-34.

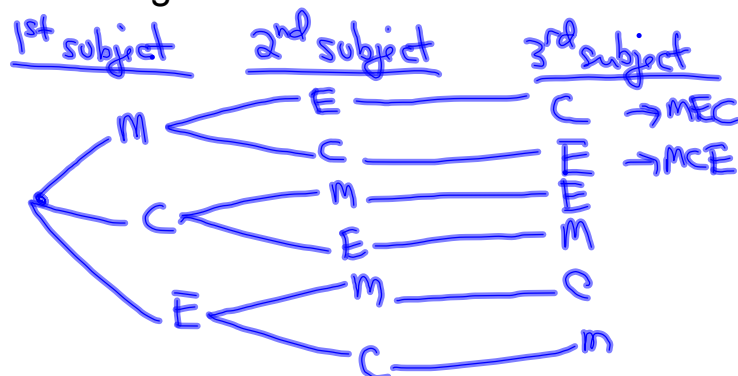
Sep 3-8:16 AM

Carlos has homework to do in Math, Chemistry, and English. How many ways can he choose the order in which to do his homework?

- Systematic List

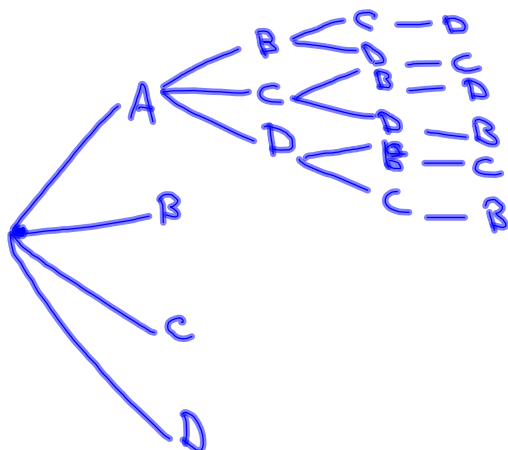
MCE
MEC
CME
CEM
EMC
ECM

- Tree Diagram



Sep 3-8:23 AM

Each question on a four-question multiple-choice quiz has answer choices labeled A, B, C, and D. How many different ways can a student answer the four questions if he uses each choice only once?



ABCD $n_1 = 4$
 ABDC $n_2 = 3$
 ACBD $n_3 = 2$
 ACPB $n_4 = 1$
 ADBC
 ADCB

How many possible ways? Why?

$$6 \times 4 = 24 = 4 \times 3 \times 2 \times 1$$

Sep 3-8:28 AM

Determine the number of two digit-numbers that can be written using the digits $\{0, 1, 2, 3\}$ assuming that repeated digits are allowed?

- Product Table

	2nd choice (digit)			
	0	1	2	3
1st choice (digit)	10	11	12	13
2	20	21	22	23
3	30	31	32	33

12 options

Sep 3-8:29 AM

Determine the number of two digit-numbers that can be written using the digits {0, 1, 2, 3} assuming that repeated digits are not allowed?

• Product Table

		2 nd choice (digit)				
		0	1	2	3	
1 st choice (digit)	1	10	11	12	13	9 choices 3×3
	2	20	21	22	23	
	3	30	31	32	33	

Sep 3-8:29 AM

Determine the number of two digit-numbers that can be written using the digits {0, 1, 2, 3} assuming that number is even?

• Product Table

		2 nd choice (digit)				
		0	1	2	3	
1 st choice (digit)	1	10	11	12	13	6 options 6=3×2
	2	20	21	22	23	
	3	30	31	32	33	

Sep 3-8:29 AM

Determine the number of two digit-numbers that can be written using the odd digits assuming that repeated digits are allowed?

- What might be a strategy that could help you solve this problem? Why do you think it will work?

$$5 \times 5 = 25$$

Sep 3-8:29 AM

Fundamental Counting Principle §11.2

Suppose that a task involves a sequence of k choices that satisfies the uniformity criterion.

Let n_1 be the number of ways the first stage or event can occur, n_2 be the number of ways the second stage or event can occur, continuing on through the k^{th} stage.

Then the total number of different ways the task can occur is given by:

$$n_1 \times n_2 \times n_3 \times \dots \times n_k$$

Sep 3-8:32 AM

Here are the names of the members of the Teacher Education Club.

Members:

{Amy, Beth, Craig, Danielle, Ethan, Francine, George}

1. In how many ways can they be lined up for a photograph?

$$7 \times 6 \times 5 \times 4 \times 3 \times 2 \times 1 = 5040$$

2. In how many ways can the Teacher Education Club elect a president and vice-president from its members?

$$7 \times 6 = 42$$

Sep 3-9:13 AM

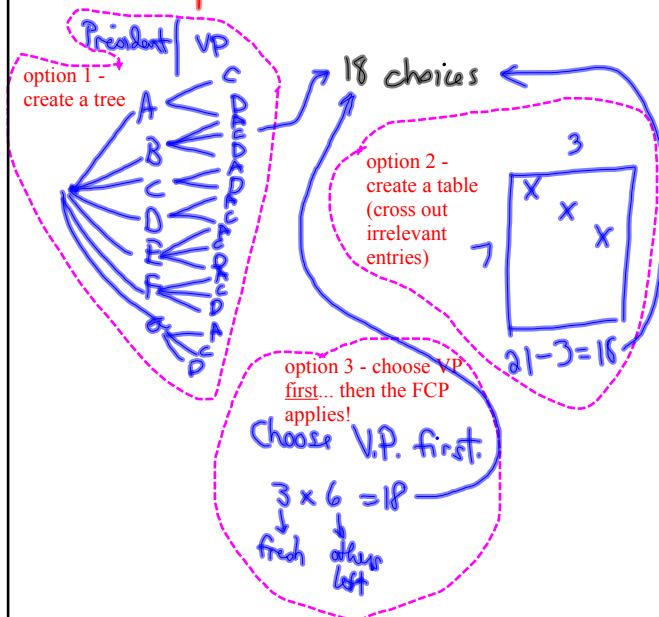
Members -- Freshmen are noted with (F):

{Amy(F), Beth, Craig(F), Danielle(F), Ethan, Francine, George}

3. How many ways can a president and vice-president be elected if the vice-president must be a freshman?

** Can we use the Fundamental Counting Principal here?

No: the # of V.P. choices depends on whether a Freshman was chosen as president.



Sep 3-8:34 AM